

Remarks on possible P-violation in heavy ion collisions

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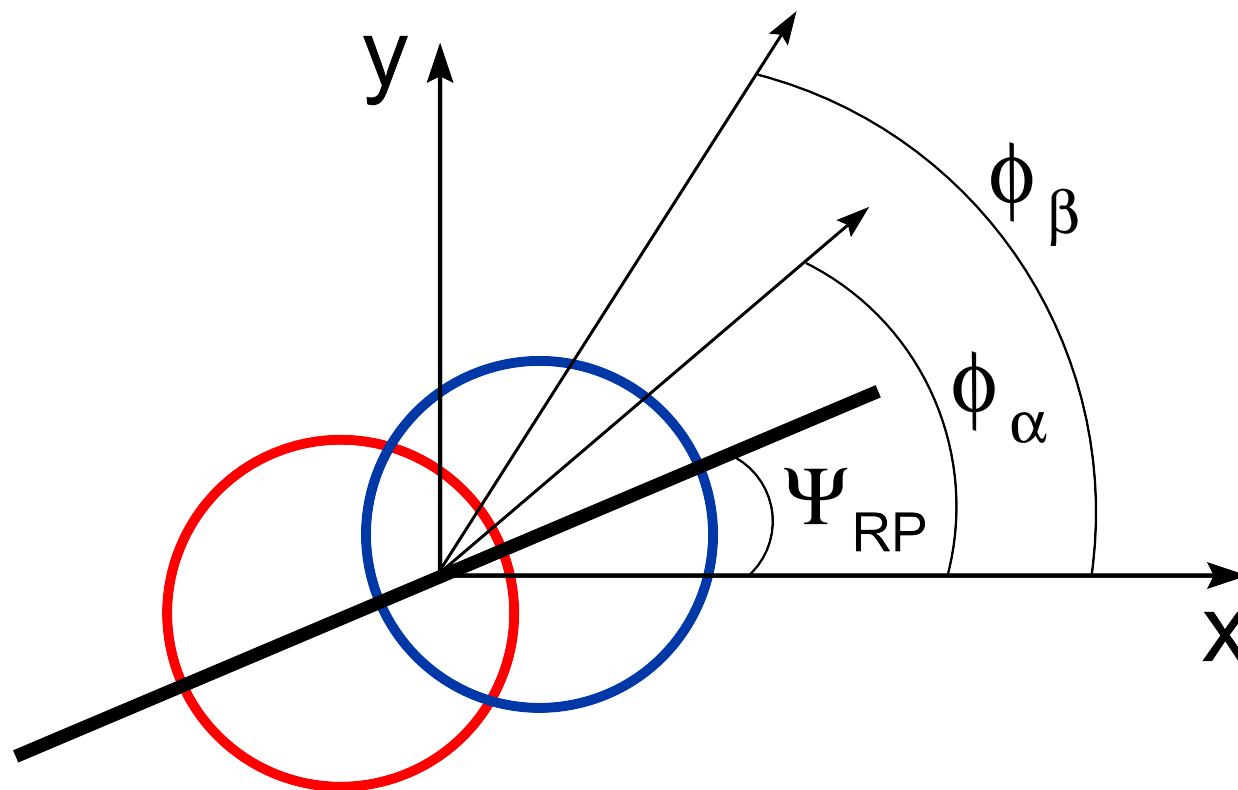
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Outline

- short introduction
- integrated signal
- p_t distribution
- conclusions

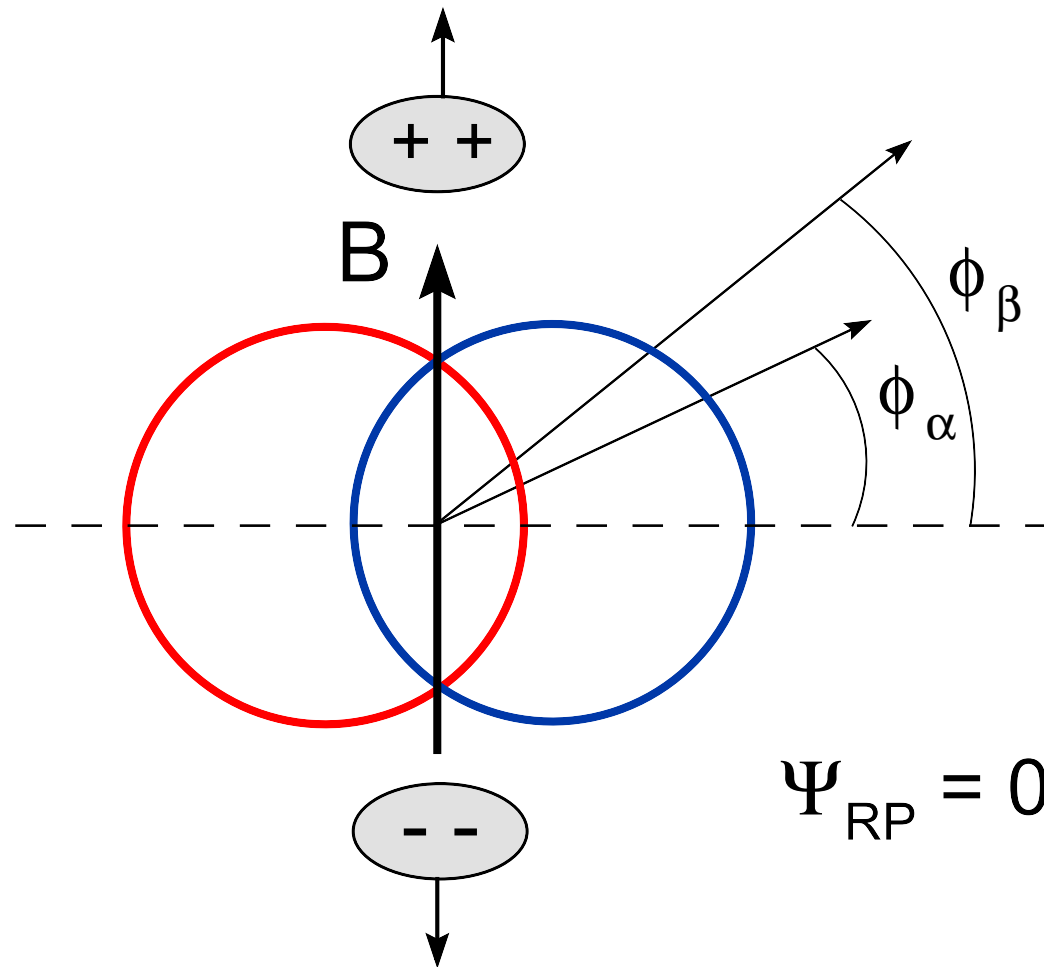
Introduction

Reaction plane



We work in the frame where $\Psi_{RP} = 0$

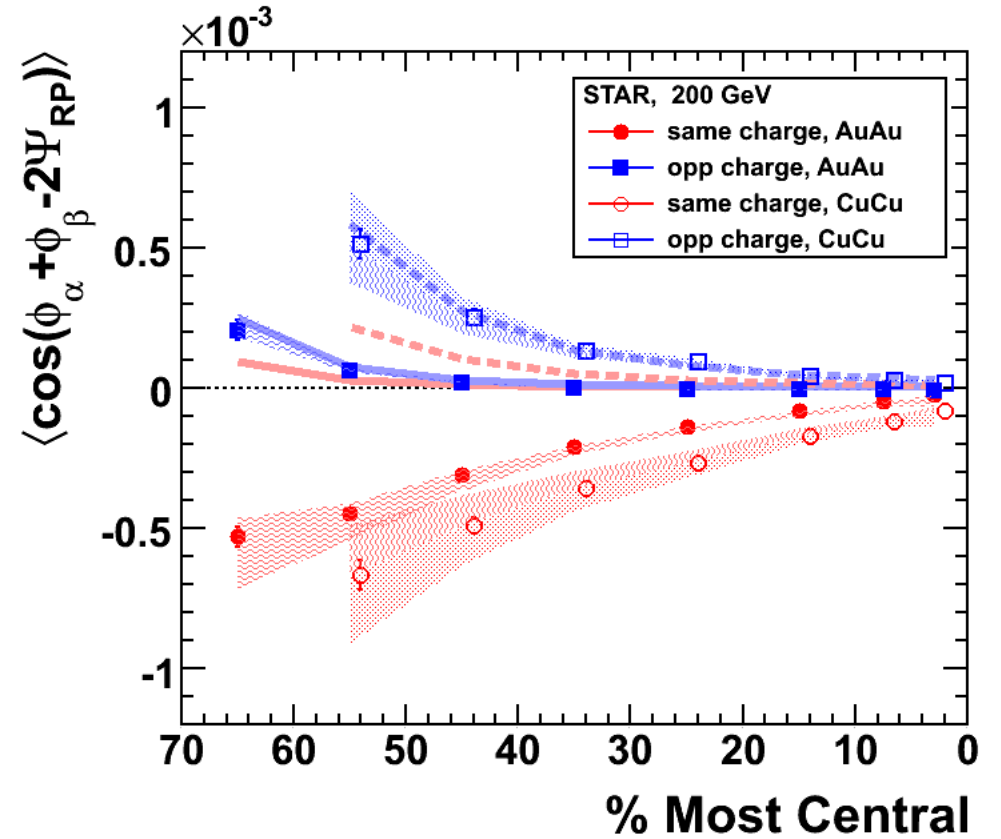
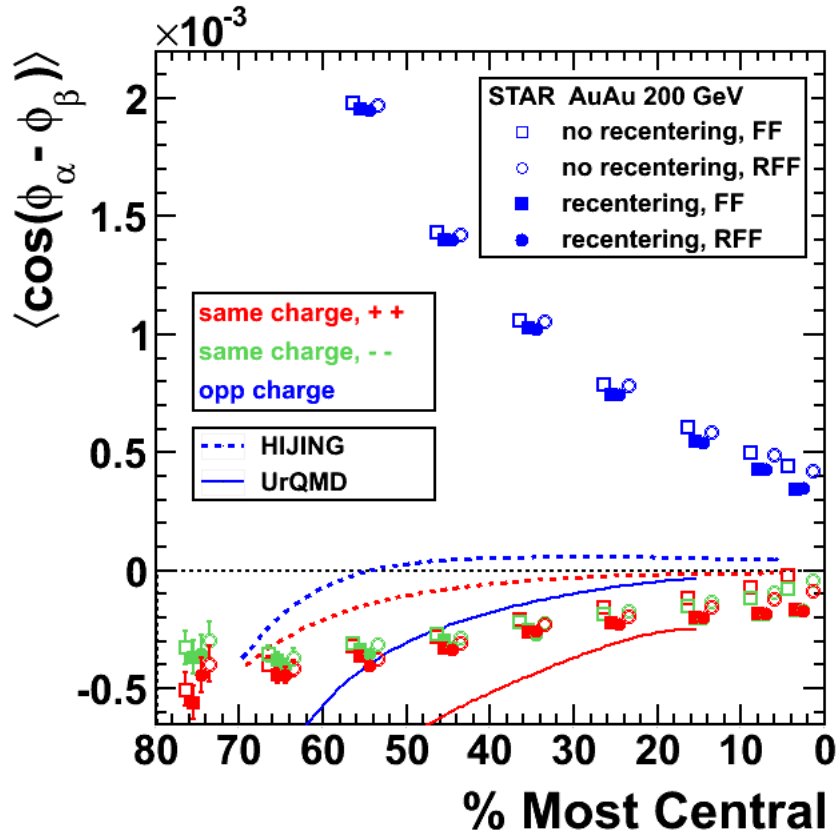
Chiral Magnetic Effect



for same sign pairs: $\langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle > 0$

Integrated signal

STAR data



$$\langle \cos(\phi_\alpha - \phi_\beta) \rangle_{same} \simeq \langle \cos(\phi_\alpha + \phi_\beta) \rangle_{same} < 0$$

$$\langle \cos(\phi_\alpha - \phi_\beta) \rangle_{opposite} > 0; \quad \langle \cos(\phi_\alpha + \phi_\beta) \rangle_{opposite} \approx 0$$

from:

$$\langle \cos(\phi_\alpha - \phi_\beta) \rangle = \langle \cos(\phi_\alpha) \cos(\phi_\beta) \rangle + \langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle$$

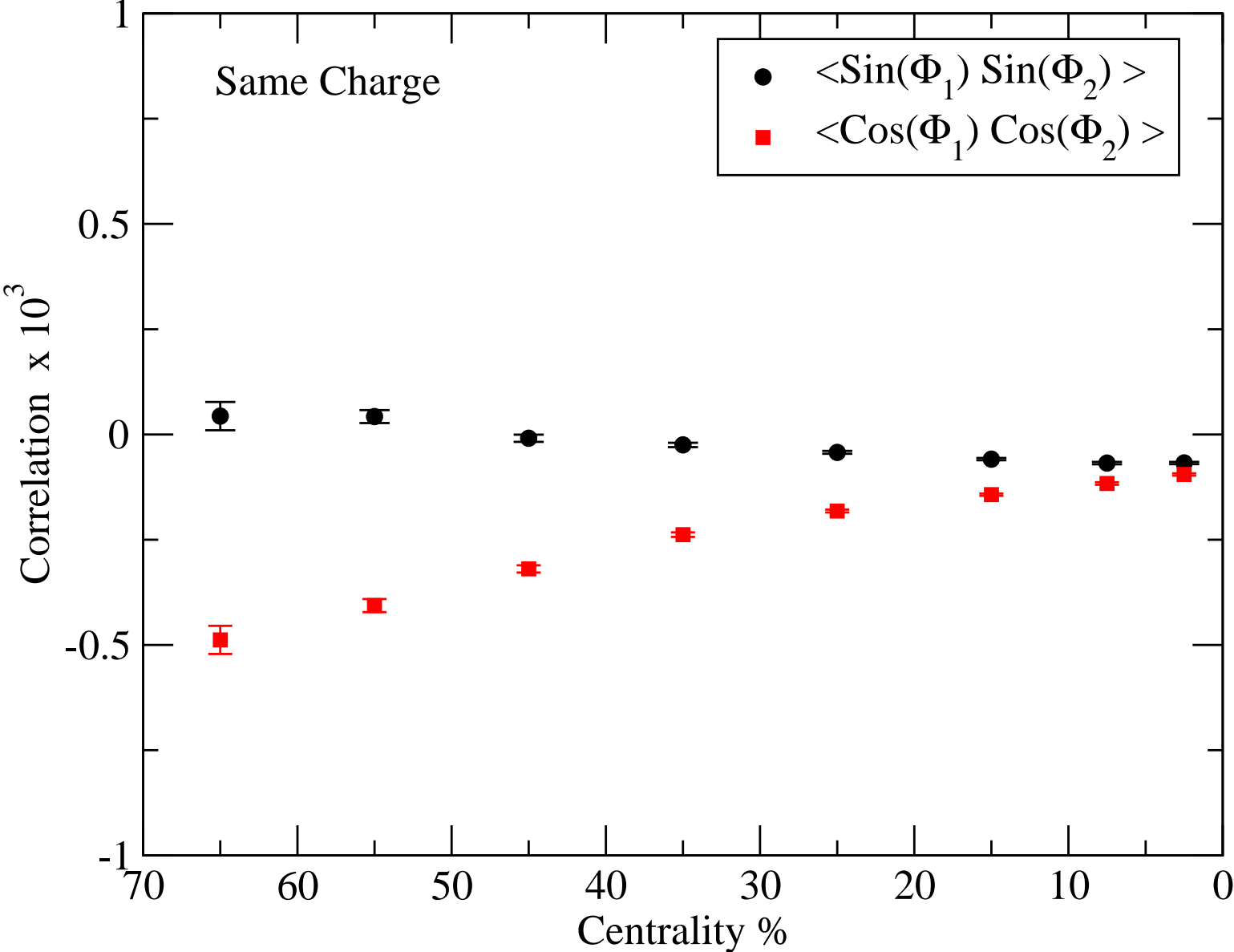
$$\langle \cos(\phi_\alpha + \phi_\beta) \rangle = \langle \cos(\phi_\alpha) \cos(\phi_\beta) \rangle - \langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle$$

we obtain:

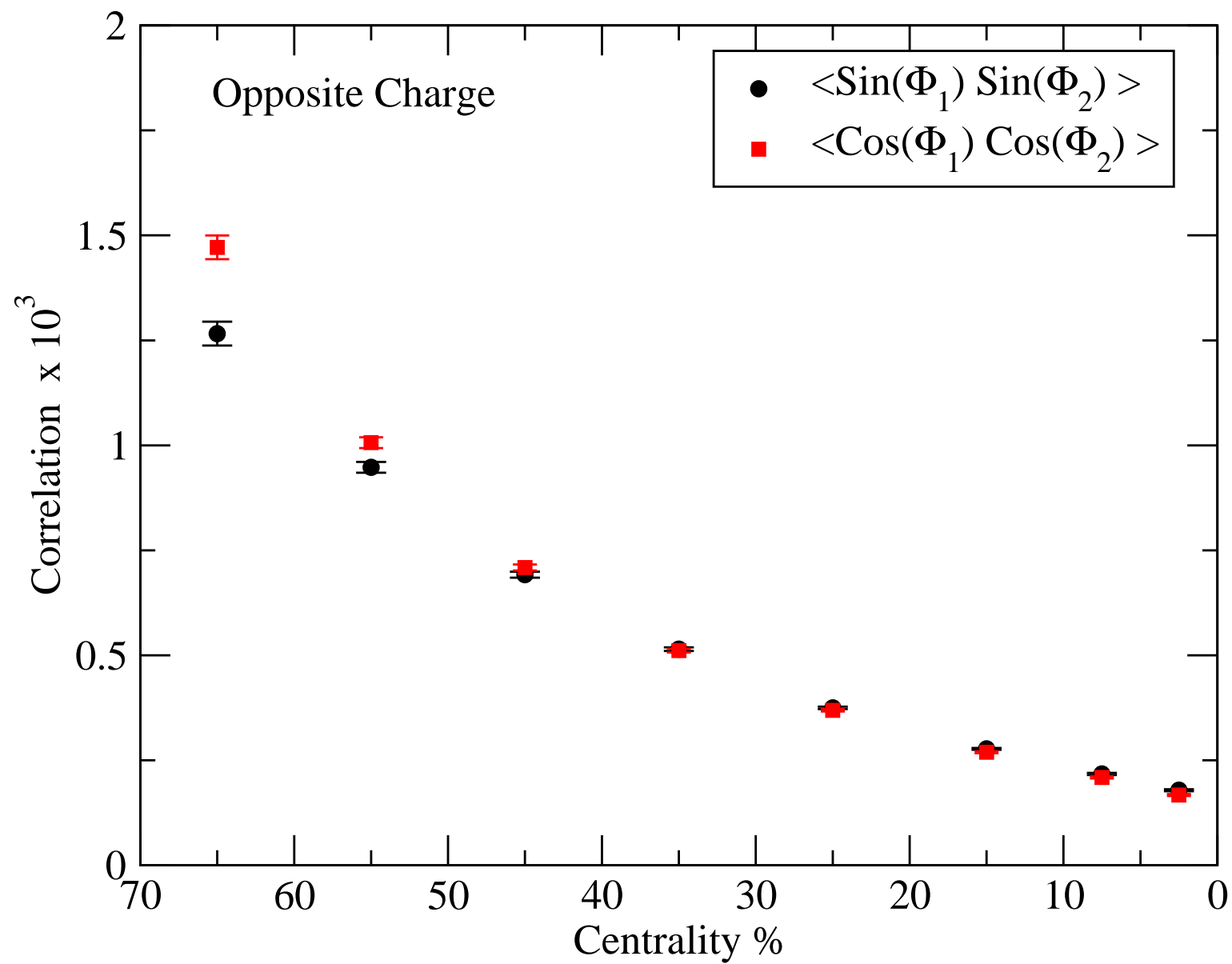
$$\begin{aligned} \langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle_{same} &\simeq 0 \\ \langle \cos(\phi_\alpha) \cos(\phi_\beta) \rangle_{same} &< 0 \end{aligned}$$

$$\langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle_{opposite} \simeq \langle \cos(\phi_\alpha) \cos(\phi_\beta) \rangle_{opposite} > 0$$

Same sign



Opposite sign



where is the parity?

$$\langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle_{same} \equiv P + B_{out}$$

$$\langle \sin(\phi_\alpha) \sin(\phi_\beta) \rangle_{same} \simeq 0$$

in consequence:

$$\mathbf{P} \simeq -\mathbf{B}_{out} \simeq -\mathbf{B}_{in}$$

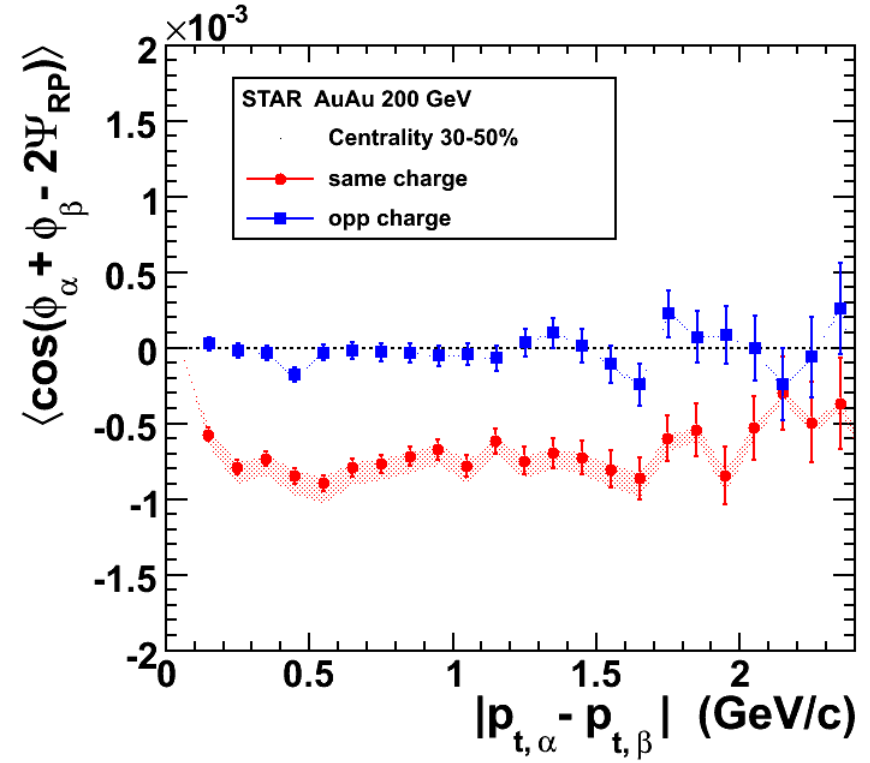
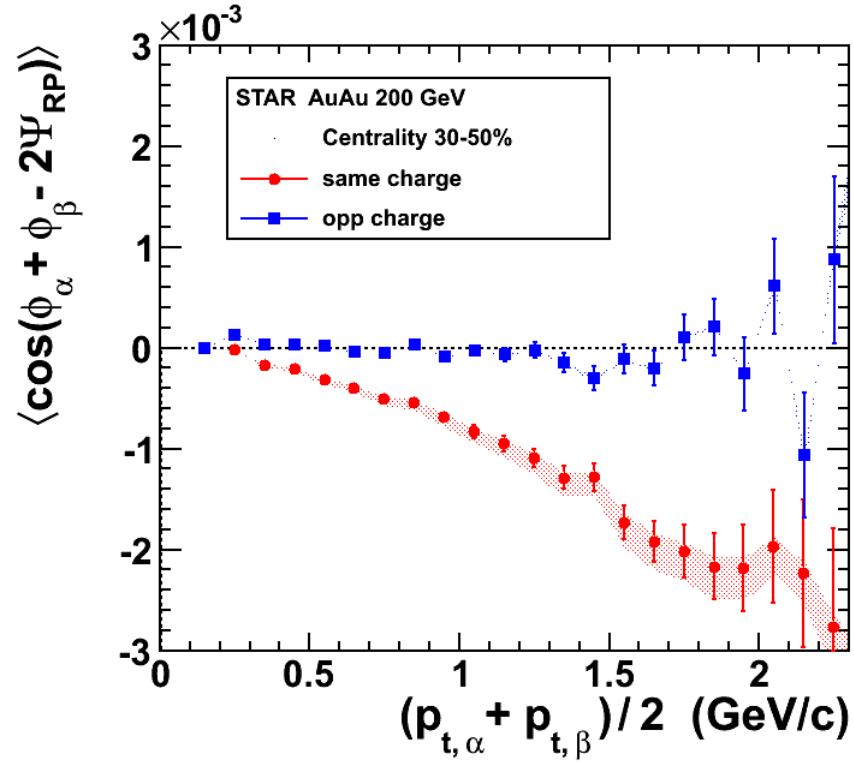
This is an unexpected relation:

maybe it is lucky coincidence?

**in order to answer that question we need differential (p_t, η)
 $\langle \cos(\phi_\alpha + \phi_\beta) \rangle$ and $\langle \cos(\phi_\alpha - \phi_\beta) \rangle$**

p_t distribution

STAR data



$\langle \cos(\phi_\alpha + \phi_\beta) \rangle \propto p_{t,\alpha} + p_{t,\beta}$ and very weak dependence on $|p_{t,\alpha} - p_{t,\beta}|$

We will show that the true signal is located at low p_t

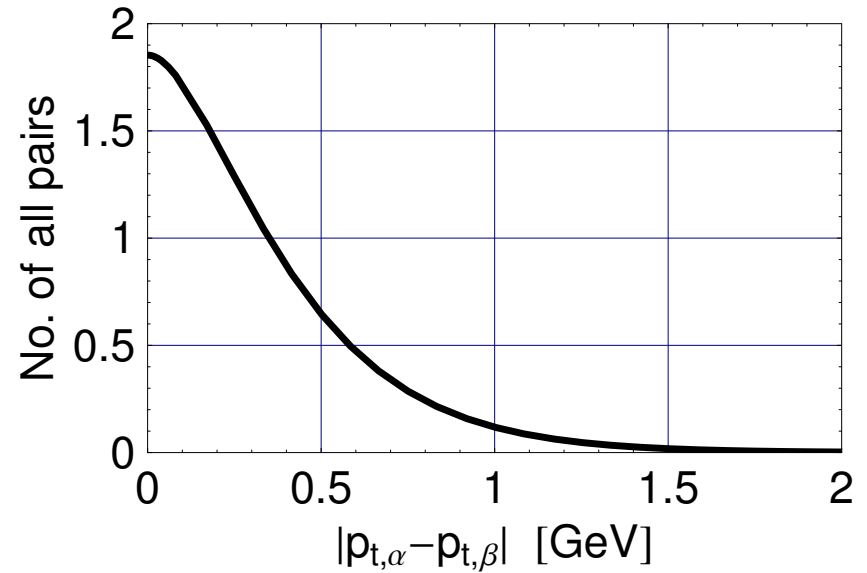
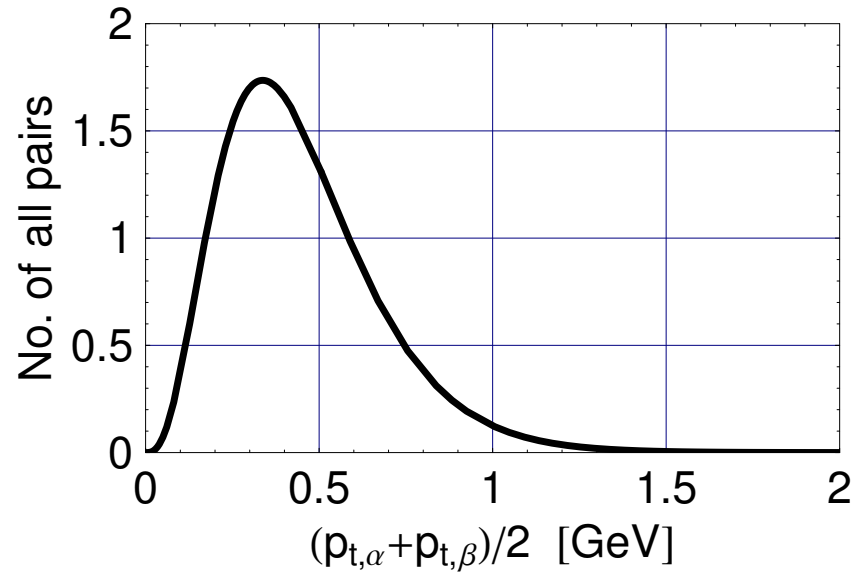
Definition:

$$\langle \cos(\phi_\alpha + \phi_\beta) \rangle = \frac{\text{No. of correlated pairs } [\cos(\phi_\alpha + \phi_\beta)]}{\text{No. of all pairs}} \sim \frac{1}{1000}$$

We can calculate the (differential) number of all pairs:

$$\int \exp\left(\frac{-p_{t,\alpha}}{T}\right) \exp\left(\frac{-p_{t,\beta}}{T}\right) d^2p_{t,\alpha} d^2p_{t,\beta} \Bigg|_{\substack{\text{fixed } p_{t,\alpha} + p_{t,\beta} \text{ or} \\ \text{fixed } |p_{t,\alpha} - p_{t,\beta}|}}$$

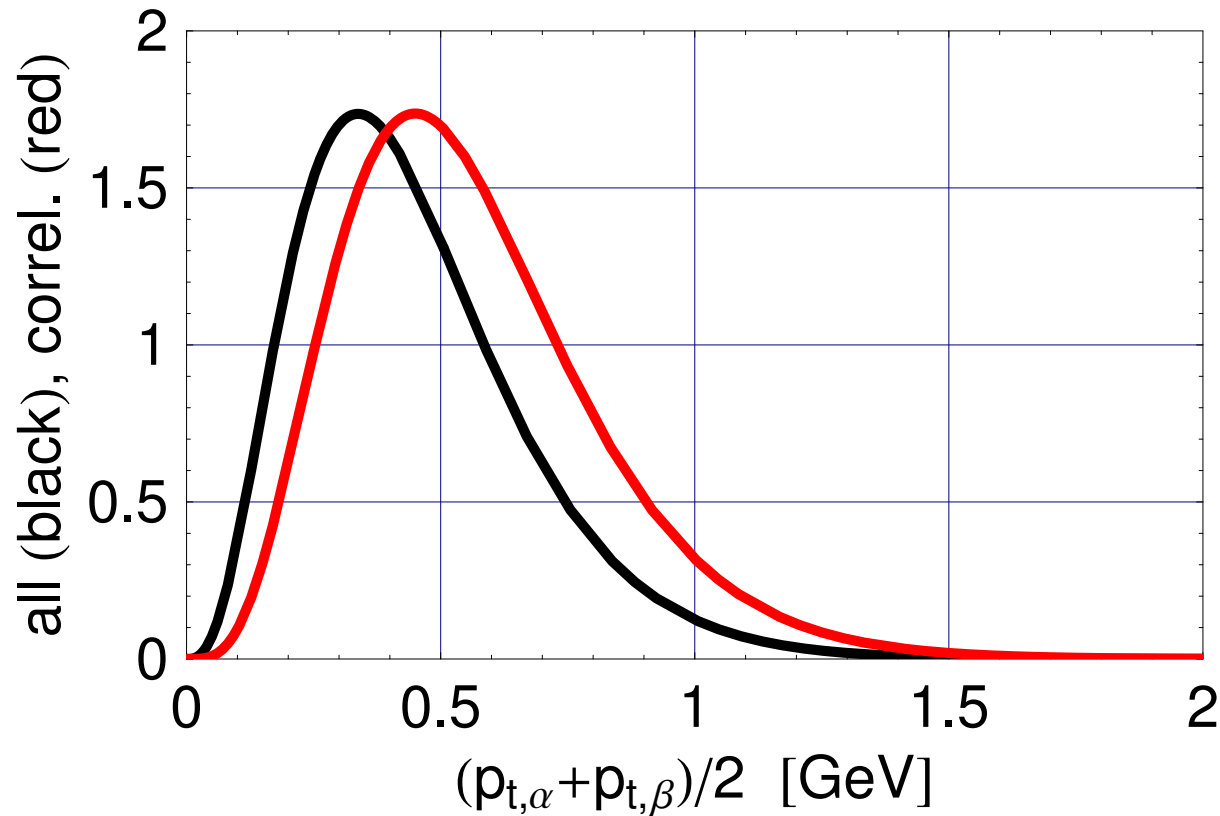
The number of all pairs vs $(p_{t,\alpha} + p_{t,\beta})$ and $|p_{t,\alpha} - p_{t,\beta}|$



From that we can obtain p_t dependence of the number of correlated pairs:

- $|p_{t,\alpha} - p_{t,\beta}|$ distribution is as above (right plot)
- and multiply the left plot by $(p_{t,\alpha} + p_{t,\beta})$...

... we obtain [all pairs (black), correlated pairs (red)]



It is enough to give a small (100 MeV) p_t boost to all correlated particles

The observed signal is NOT inconsistent with the Chiral Magnetic Effect

Conclusions

- for same sign STAR sees large correlations in-plane and very small correlations out of plane
- parity signal must almost exactly cancel background
- maybe it is lucky coincidence
- we need differential $\langle \cos(\phi_\alpha - \phi_\beta) \rangle (p_t, \eta)$ to answer that question
- signal is dominated by $p_t < 1$ GeV and this is consistent with the Chiral Magnetic Effect
- each correlated particle needs small (100 MeV) p_t boost